

Answers for the exam of Wednesday, 9 January 2019
Concurrent Programming TDA383/DIT390, and
Principles of Concurrent Programming TDA384/DIT391

- Q1. (Part a)** No, there may be no output: q completes, then p runs. (2p)
(Part b) Once. After writing 2, p1 fails test, so no more output. (2p)
(Part c) Fair: A finite number of times. Do q1, then run p many times. Then q2 must run, which makes p exit. (2p)
(Part d) unfair -> infinitely often. Do q1, then always run p. (2p)

Q2. Part a (4p)

	$s = (p_i, q_i, \text{token}, t_p, t_q)$	sp=next state if p moves	sq=next state if q moves
s3	(p2, q3, _, _, Q)	(p3, q3, _, _, Q) = s8	(p2, q5, _, _, Q) = s4
s4	(p2, q5, _, _, Q)	(p3, q5, _, _, Q) = s9	(p2, q2, T, _, _) = s1
s5	(p3, q2, T, _, _)	(p2, q2, T, _, _) = s1	(p3, q3, _, _, Q) = s8
s8	(p3, q3, _, _, Q)	(p2, q3, _, _, Q) = s3	(p3, q5, _, _, Q) = s9
s9	(p3, q5, _, _, Q)	(p2, q5, _, _, Q) = s4	(p3, q2, T, _, _) = s5
Ans:	s1	(p2, q2, T, _, _)	(p3, q2, _, P, _) = s6
	s2	(p2, q3, T, _, _)	(p3, q3, _, P, _) = s7
	s6	(p3, q2, _, P, _)	(p5, q2, _, P, _) = s10
	s7	(p3, q3, _, P, _)	(p5, q3, _, P, _) = s11
	s10	(p5, q2, _, P, _)	(p2, q2, T, _, _) = s1
	s11	(p5, q3, _, P, _)	(p2, q3, T, _, _) = s2

- (Part b)** There is no (p5, q5, ...) state. (1p)
(Part c) No, “no moves”. Only busy waiting. (1p)
(Part d) Yes, X shows where the token is: with P, Q, or neither. (3p)
(Part e) Interleave s1, s3, s4 cycle with a run of p2; p3 after q has acquired the token. (4p)
(Part f) $S_1 = \{s6, s7\}$ is the smallest set that satisfies the condition. The largest would be the set of all the states in the system. (3p)

Q3. Let I be $(t_p + t_q + \text{token} = 1)$, and M be $\neg(p5 \wedge q5)$.

- (Part a).** At init, token=1, $t_p=t_q=0$. Only swap changes these variables, preserves I. (2p)
(Part b). p5 can only be reached by $t_p=1$ at p3. p5 and q5 cannot happen because both t_p and t_q cannot be 1. (2p)
(Part c). p5 or q5 implies token=0. Contrapositive. (2p)

(Part d). to show $(p2 \wedge q2) \rightarrow (\text{token} = 1)$, first show that $q2 \rightarrow (\text{tq} = 0)$. This is true at init, and q can only return to q2 via q3 or q5, in both cases with tq=0. Similarly for p2. (2p)

(Part e). If token=1, then neither p5 nor q5. One of them, say p, will do a swap first, get the token. If token=0 then tp=1 (say). Wherever p is, it will do a swap, and token=1. (3p)

Q4. (Part a). One of the eb's, then a wb, then the other eb, and another wb. One wb remains. (5p).

(Part b). The marooned wb can be rescued by a shuttle crossing eastwards. But the shuttles might loop, monopolising the bridge. (4p).

(Part c). Sleep would make the shuttles of lower priority than the cars. (3p)

(Part d). Initialize the semaphores to a sum of 3. to put 3 cars on the bridge. Use shuttles as needed to get stranded cars across. (3p)

Q5. (Part a). What output does `go([])` give? Ans: None. (2p).

(Part b). What output does `go([5])` give? Ans: "5, ". (2p).

(Part c). What output does `go([6, 5])` give? Ans: "5, 6, ". (4p).

(Part d). Output of `go([-3,5,4,103,4,0])` is "4, 4, 5, " (4p).

Q6. for TDA383/DIT390

(Part a). A Prod-Cons monitor, buffer size 1. Symmetric, so either can run first. Prod waits for Count==0 and sets Count=1. Cons is vice-versa. Off bridge car actions done by users of the monitor. (3p).

(Part b). The same Prod-Cons will do. Run dummy cars that use these, and make the bridge swap direction every so often. (2p).

(Part c). The dummy cars sleep between runs. (1p).

(Part d). Bridge entry and exit are in charge of the monitor, no risk of user forgetting. Use of monitor clearly separated from monitor – see parts b and c. Some loss of parallelism. (2p)

Q6. for TDA384/DIT391

(Part a). Save time on locking if rarely needed. (2p)

(Part b). If thread `t` removes a set element behind `u`'s curr, then `u` will include it in the count even if `t` terminates before `u`. (3p)

(Part c). (3p)

```
int curSize;
do {
    curSize = size.get();
} while (!size.compareAndSet(curSize, curSize + 1));
```